	A Republican	A A participal .			100			
	3	or $\frac{1}{\binom{51}{3}} \frac{\binom{13}{2}}{\binom{52}{3}}$	⁹⁹)	P(win	before) =	any ca	rd hot	
	(52)	(51) (52)			43		
						44	P = 0	
В	L What is the a. 10.0%.	b. 13.8%. c.	e flop contains 14.5%. d.	s exactly <u>two</u> . 19.0%.	diamonds? e. None of the	above.	- 1	
D	2. What is the	e probability that th	e flop contain	s exactly two	diamonds, give	en your two	hole cards	
	are the ace at a. 8.55%.	nd king of diamond b. 9.01%. c.		. 10.9%.	c. None of the	above.	$\binom{11}{2}\binom{39}{1}$	
_	P(2	diamonds	$A \Diamond k \Diamond$				(50)	-
U		flop is said to "hay us another card of a						
		ut A♥ K♦ 10♠ woul				at is the prob	pability	
	that the flop a. 48.2%.	has a flush draw po b. 49.1%. c.		. 55.1%.	e. None of the	above. ($\binom{13}{2}\binom{4}{1}$	$\binom{13}{1}\binom{3}{1}$
A		e probability that the	nc3 dards on ti	he flop are all	of the same su	it?	(52)
	a. 5.18%.	b. 5.56%. c.	6.02%. d	l. 6.54%.	e. None of the	above.		
B	5. In the han	d from High Stakes	s Poker betwee	en Daniel Neg	reanu and Gus	Hansen, Hai	isch had	3)(4)
	5	egreanu had 64 6V.	The board was	s 94 6♦ 5♥ 5♠	84. After the be	etting on the	turn, the	$\binom{52}{3}$
	Negreanu be	ot was \$111,700. A et \$65,000, Hansen	raised \$167,00	00 more to a to	ealed on the riv otal of \$232,000	er, Hansen c). and Negre	checked, canu	
	called. The	total pot was \$575,7	700. Given onl	y their cards a	and the board, h	ow much di	d Hansen	
	•	luck and skill on the to luck and 232,000		b. 2539	9 due to luck an	at 232 000 a	ue to skill	
	c. 2788 due	to luck and 245,000	due to skill.	d. 2539	9 due to luck an	d 245,000 d	ue to skill.	
		to luck and 245,000			e of the above.	-		befor
D	6. Let $X = t$	he number of black	cards on the fl	lop. What is E	E(X)? 2 ×232	000 × (00	?	×(111,700
	a. 0.500.	b. 0.875. c x) = $0 \times P(x = 0)$	c. 1.24. (d. 1.50.	e. None of the	above.	272,000	
D	7. Let $X = t$	he number of clubs	in your hand,	so X must be	0, 1, or 2. What	t is $E(X^2)$?	, , ,	(13)(39)
	a. 0.500.	b. 0.512. $O^2 \times P(x)$		d. 0.618. P(x = 1) + 7	e. None of the $\frac{1}{2}$			$\binom{52}{2}$
E	3 8. Suppose	you play 10 hands	of poker. Let X	X = the numbe	er of these hands	s where you	are dealt	
	a. 1.09.	b. 1.34.		d. 1.92.	same suit. What e. None of the		hpg	$\binom{13}{2}$
Λ						•	1	$\binom{52}{2}$
A		the event that the 3 are all black) Find	eards on the He $P(B C)$. = $P(C C)$	opare all spac (Bandc)	les. Let $C = $ the $/ P(C)$	event that th	e 3 cards	
	a. 11.0%.		e. 12.8%.		e. None of the	above.		
(10. Let X =	the lowest number	r of the 3 cards	on the flop, v	where $J = 11$, Q	= 12, K = 13	, and ace	
		denote the cumula	tive distributio	n function of	X. What is F(10))? Hint: the	1 minus	. 12 .
	a. 89.3%.	e helpful here. b. 91.2%.	c. 97.5%.	d. 98.2%.	e. None of the	above.		$\binom{13}{3}$
F/v) = P(x =	-10)						$\frac{\overline{(26)}}{(3)}$
- -	(PCV=11)	+ = 3 (13)(4)	(26)	$\binom{26}{2}$	$\frac{\binom{2c}{2}\binom{2c}{1}}{\binom{52}{3}}$	(26)		(3)
- (-	P(x=12)+>1 /671	\ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \	7 (1)	2/(1)	(3/	0.1176	
(ガ) c	P(X=T	$\begin{array}{c} + \rightarrow 3 \ {\binom{13}{2}} {\binom{4}{1}} \\) + \rightarrow 1 \ {\binom{52}{2}} \\) + \end{array}$	i) (,	3) 0.382	$\binom{52}{3}$	$\binom{52}{3}$		1
	P(X	=11)) → \ \·	3/		•			

11. Let B = the event that all the cards on the flop are hearts. Let C = the event that the flop contains at least one ace. Are B and C independent? d. None of the above.

b. No. a. Yes.

- c. Cannot be determined.
- 12. Consider just the first 4 board cards. What is the probability that these 4 board cards are all of different suits?

a. 8.03%.

- b. 10.5%.
- c. 11.9%.
- d. 12.3%.
- e. None of the above.
- 13. A "paired board" means a board where at least 2 of the cards have the same number. For instance, KKQ23, KKKQ3, KKKK3, and KKQ33 would all be examples of paired boards. What is the probability of a paired board? Assume all 5 board cards are going to be seen regardless of the players' cards and actions.

a. 38.2%.

- b. 40.1%.
- c. 43.7%.
- d. 49.3%.
- e. None of the above.
- 14. Suppose in a given tournament every player started with 10,000 chips, and there were 2,000 players. After 7 hours, 500 players are left. Suppose you choose one of these 500 players at random and let X = the number of chips she has left. What does the Markov inequality tell you about $P(X \ge 100,000)$?
- a. $P(X \ge 100,000) \le 0.257$.
- b. $P(X \ge 100,000) \le 0.353$.
- c. $P(X \ge 100,000) \le 0.371$.

- \rightarrow d. P(X ≥ 100,000) ≤ 0.400. e. P(X ≥ 100,000) ≤ 0.429.
- f. None of the above.

$$P(C) = P(C|B)$$

 $P(C) = P(at | cast one Acc) = 1 - P(no Acc) = 1 - (\frac{48}{3}) = 0.217$
 $P(at | cast) = 1 - P(no acc | all hearts) = (\frac{52}{3})$
 $P(at | cast) = 1 - (\frac{12}{3}) = 0.230$
 $P(at | cast) = 1 - (\frac{12}{3}) = 0.230$

acc

c)
$$P(x = 100,000) = 1 - P(\text{ no (ard same value})$$

 $\leq E(x)/100,000 = 1 - {13 \choose 5} {1 \choose 1}^{5}$
 $= 1 - {13 \choose 5} {1 \choose 1}^{5}$
 $= 1 - {13 \choose 5} {1 \choose 1}^{5}$
 $= 1 - {13 \choose 5} {1 \choose 1}^{5}$
 $= 1 - {13 \choose 5} {1 \choose 1}^{5}$

JQA 1

JKA 1

JOKI

$$\frac{(x)/100,000}{\sqrt{\frac{5^2}{5}}} = 1 - \left(\frac{13}{5}\right) \left(\frac{1}{1}\right)^5$$

$$P(x=10) = 1 - P(x > 10) = 1 - (P(x=11) + 2) + P(x=12) + P(x=12)$$

$$4 \times (\frac{4}{1})^3 + 12 \times (\frac{4}{2})(\frac{4}{1}) + \frac{4}{1} \times (\frac{4}{3})$$

$$P(x > 10) = 1 - (P(x = 12) + P(x = 13) + P(x = 13) + P(x = 13) + P(x = 14))$$
 $P(x = 13) + P(x = 14)$
 $P(x = 14)$
 $P(x = 14)$