# Physics 1C Spring 2018 First midterm

#### TOTAL POINTS

# 88 / 100

**QUESTION 1** 

1**1**.a **5**/**5** 

✓ + 2 pts Positive

- $\checkmark$  + 3 pts explain why positive (RHR, v cross B.....)
  - + 0 pts wrong

#### **QUESTION 2**

21.b5/5

#### ✓ + 5 pts correct

- + 2 pts Partial points for knowing F=qvB
- + 2 pts Partial points for knowing

mv^2/R=F

+ 0 pts wrong

#### QUESTION 3

31.C 5/5

#### ✓ + 5 pts Correct

+ **4 pts** almost correct. Like knowing T=2Pi\*m/qB, but forget that we only have a semi circle here.

+ 2 pts partial points for knowing t=pi\*R/v.

- (understand this is part of uniform circular motion )
  - + 0 pts wrong

#### QUESTION 4

- 4 1.d 15 / 15
  - ✓ + 5 pts semi circle
  - ✓ + 5 pts CW
  - ✓ + 5 pts correct R
    - + 0 pts wrong

#### QUESTION 5

#### 5 2 30 / 35

- + 35 pts Correct
- $\checkmark$  + **30 pts** almost correct, but with some small errors.

+ **10 pts** Kind of understand the problem but don't know the correct expression for magnetic field.

- + 5 pts nice try
- + **7 pts** partial point, get the B field of pipe correct. B=0 inside and  $B=u^*I/2^*pi^*r$  outside

+ 7 pts partial point, get the B field of wire correct. B=u<sup>\*</sup>l/2<sup>\*</sup>pi<sup>\*</sup>r

+ 8 pts partial point, get the B field at the center of pipe correct. Bc=u\*I\_wire/2\*pi\*3R

+ **8 pts** partial point, get the B field at point P correct. Bp=u\*I\_wire/2\*pi\*R - u\*I\_pipe/2\*pi\*2R

+ **5 pts** Partial point, get the ratio expression correct. Bp/Bc=-x.

+ 0 pts no point

#### QUESTION 6

#### 63.a 8/8

- $\checkmark$  + **2 pts** Identification of magnetic flux as magnetic field times area
- $\checkmark$  + 2 pts Correct (or almost correct) integration over non-constant magnetic field through the loop
- $\checkmark$  + 4 pts Correct final expression for magnetic flux
  - + 0 pts No points

### QUESTION 7

#### 7 3.b 12 / 12

- ✓ + 4 pts Correct direction
- $\checkmark$  + 4 pts Correct (or almost correct) application of
- Faraday's Law (in some form)
- $\checkmark$  + 4 pts Correct expression for the current (up to a factor of +/-1)
  - + 0 pts No points

#### QUESTION 8

## 8 3.C 8 / 15

 $\checkmark$  + 4 pts Calculate (or at least begin to calculate...) dissipated Ohmic power (P = I\*R^2)

 $\checkmark$  + 4 pts Calculate external power (P = F\*v) in full

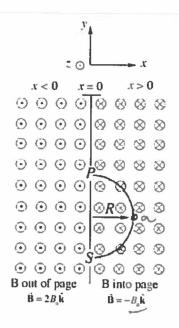
+ **7 pts** Correctly show that the two expressions are

equal

+ 0 pts No points

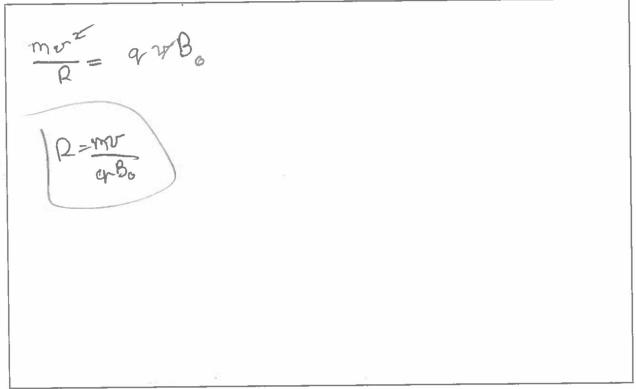
This exam is closed book and closed notes. Electronics are not permitted, except for one calculator. Please show your full solution in the boxes provided (where the scanners can pick them up). Your solutions will be graded on correctness and coherence; results given with no details will receive zero credit. There is additional scratch paper attached so you can collect your thoughts first. Academic dishonesty is reported to the Office of the Dean of Students.

**Problem 1.** The x-y plane for x < 0 is filled with a uniform magnetic field pointing out of the page,  $\mathbf{B} = 2B_0\hat{k}$  with  $B_0 > 0$ , as shown. The x-y plane for x > 0 is filled with a uniform magnetic field  $\mathbf{B} = -B_0\hat{k}$ , pointing into the page, as shown. A charged particle with mass m and charge q is initially at the point S at x=0, moving in the positive x- direction with speed v. It subsequently moves counterclockwise in a circle of radius R, returning to  $\mathbf{x} = 0$  at point P, a distance 2R from its initial position, as shown in the sketch.



a. Is the charge positive or negative? Briefly explain your reasoning.

b. Find an expression for the radius R of the trajectory shown, in terms of v, m, q and  $B_0$  as needed.



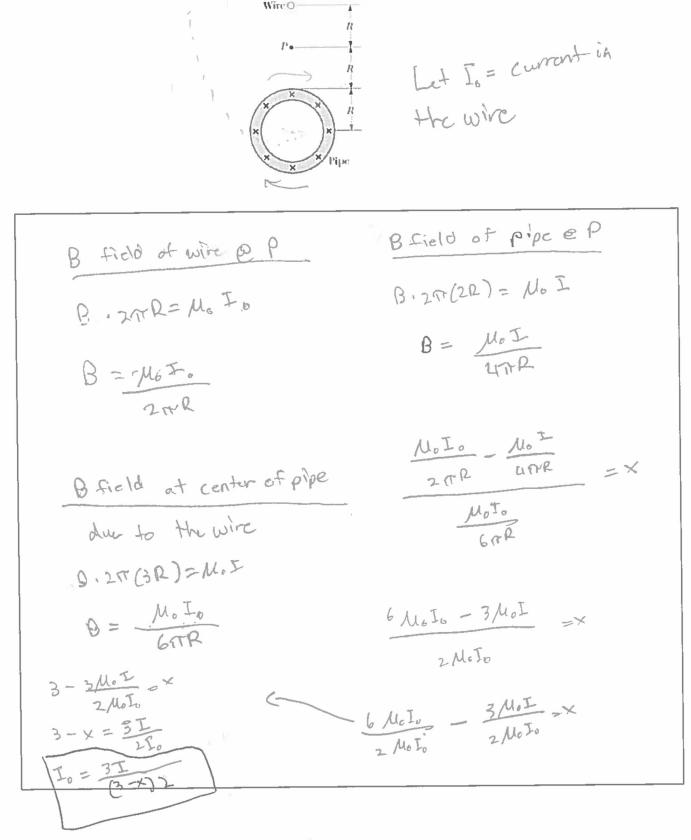
c. How long does the particle take to return to the plane x=0 at point P, in terms of v, m, q and  $B_0$  as needed?

$$w = \underline{q} \cdot \underline{\beta}, \quad f = \underline{q} \cdot \underline{\beta}, \quad T = \underline{2} \cdot \underline{\gamma} \cdot \underline{m}, \quad \overline{q} \cdot \underline{\beta}$$
  
To get to P(half of period), it takes  $\underline{\gamma} \cdot \underline{m}, \quad \overline{q} \cdot \underline{\beta}$ 

d. Describe and sketch the entire subsequent trajectory of the particle after it passes point P. Define any relevant distances in terms of v, m, q and  $B_0$ .

2B, k after point P F still points towards K=O, but B is directed up. There relating will be curving the other way, making the particle still move upwards (RHR) The magnitude of the B field is twice as much as the Bridd for X70 so R will be half as big. The new radius will be R= mor 2gBo

**Problem 2.** In the figure below a long circular pipe with outside radius R carries a (uniformly distributed) current I into the page. A long wire runs parallel to the pipe at a distance of 3.00R from center to center. Find the current in the wire such that the ratio of the magnitude of the net magnetic field at point P to the magnitude of the net magnetic field at the center of the pipe is x, but it has the opposite direction.



4

**Problem 3.** A rectangular loop of wire with length a, width b, and resistance R is placed near an infinitely long wire carrying current i, as shown in the figure . The distance from the long wire to the center of the loop is r.  $\kappa \kappa \kappa \kappa \kappa \kappa$ 

a. Find an expression for the total flux through the loop.

$$\Theta = \frac{M_0!i}{2\pi r}$$

$$\overline{\Phi} = \int \overline{\Theta} \cdot dA = \frac{M_0i}{2\pi r} \int \frac{1}{r} \cdot a \cdot dr' = \frac{M_0ia}{2\pi r} \int \frac{dr'}{r'}$$

$$\overline{\Phi} = \frac{M_0ia}{2\pi r} \left[ \ln \left( r + b/_2 \right) - \ln \left( r - b/_2 \right) \right]$$

$$r - b/_2$$

$$\overline{\Phi} = \frac{M_0ia}{2\pi r} \left[ \ln \left( r + b/_2 \right) - \ln \left( r - b/_2 \right) \right]$$

b. What is the magnitude and direction of the current flowing in the circuit as it is pulled away from the wire with velocity  $\mathbf{v} = \underline{v}_0 \hat{k}$ .

$$E = -\frac{d}{dt} = -\frac{d}{dt} = -\frac{d}{dt} = \frac{d}{dt} \quad v = dr \quad I = \frac{E}{R}$$

$$E = -\frac{M_0 va}{2\pi} \left[ \frac{1}{r_1 b_2} - \frac{1}{r_2 b_3} \right] \cdot v_0 E$$
as the loop is pulled away, the flux will decorose. An induced B field will be generated into the page by tenz's law, will induce o current clockwised with magnitude
$$\frac{-M_0 va}{2\pi} \left[ \frac{1}{r_1 b_2} - \frac{1}{r_2 b_3} \right] \cdot v_0$$

c. Show that to maintain this motion, the rate at which the external force is doing work on the loop is equal to the rate at which energy is being dissipated in the loop.

Energy dissipoted = power  

$$P = I^{2} P = \frac{1}{2} P = \frac{1}{2} \left( \frac{1}{(r+br_{2})} - \frac{1}{(r-br_{1})} \right)^{2}, r_{0}$$

$$R = \frac{1}{2\pi} \left( \frac{1}{(r+br_{2})} - \frac{1}{(r+br_{2})} \right)^{2}, r_{0}$$

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$$R = \frac{1}{2\pi} \left( \frac{1}{(r+br_{2})} - \frac{1}{2\pi} \frac{M_{0}i}{(r+br_{2})} \right)^{2}, r_{0}$$

$$Since Pois = P_{Ex}, the work done is the same as the energy dissipated$$

 $\mathbf{Scratch} \ \mathbf{paper}$ 

12

4.