UCLA ID: Your Name:

SECTION: Cross one box below

Day \ T.A.	John	Zach	Sam
Tuesday	1A	1C	1E
Thursday	1B	1D	1F

R

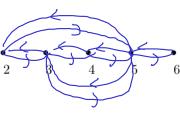
Problem 1. Circle ALL that apply. Given the digraph of the following relation R on X = $\{a, b, c, d, e, f\}$, then R has the following properties:

- (a) reflexive,
- (b) symmetric,
- (c) antisymmetric, (bRC GAU CRb)

 (d) A function from X to X. (bRb, bRc)

 (e) transitive, (bRC, CRD but bKD)
- (f) a partial order, (not antisy und (ic, not transitive
- (e) an equivalence relation. (not transitive)

Problem 2. Let $X = \{2, 3, 4, 5\}$ and R be the relation on X: aRb if a and b have no common divisors except 1. Example 2R 5 but 4R 6 (2 is a common divisor of 4 and 6). Draw the digraph of the relation.



Problem 3. Circle the correct answer. How many functions $f: X \to Y$ are there if |X| = 8and |Y| = 5?

- (b) $8 \cdot 7 \cdot 6 \cdot 5 \cdot 4$,
- (c) 5!,
- (d) 8^5
- (e) 8!.
- (f) A complicated formula using inclusion-exclusion.