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Computer Science 33, Winter 2012

Midterm 1

18

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Instructions:

- Make sure that your exam is not missing any sheets, then write your full name on the front.
- Write your answers in the space provided below the problem. If you make a mess, clearly indicate your final answer.
- The exam has a maximum score of 100 points.
- The problems are of varying difficulty. The point value of each problem is indicated. Pile up the easy points quickly and then come back to the harder problems.
- This exam is closed book and closed notes.
- You have 1 hour and 50 minutes to complete the test. Good luck!

1 (9):	9
2 (12):	12
3 (15):	8 8
4 (15):	15
5 (6):	6
6 (12):	8 12 4
7 (10):	10
8 (6):	6
9 (15):	8
TOTAL (100):	81 82 (86) 4

$7/15$

Problem 3. (15 points):

Consider the following 16-bit floating point representation based on the IEEE floating point format:

- There is a sign bit in the most significant bit.
- The next seven bits are the exponent. The exponent bias is 63.
- The last eight bits are the significand.

The rules are like those in the IEEE standard (normalized, denormalized, representation of 0, infinity, and NAN).

As described in lecture, we consider the floating point format to encode numbers in a form:

$$(-1)^s \times m \times 2^E$$

where m is the mantissa and E is the exponent.

Fill in the table below for the following numbers, with the following instructions for each column:

Hex: The 4 hexadecimal digits describing the encoded form.

m: The fractional value of the mantissa. This should be a number of the form x or x/y , where x is an integer, and y is an integral power of 2. Examples include: 0, 67/64, and 1/256.

E: The integer value of the exponent.

Value: The numeric value represented. Use the notation x or $x \times 2^z$, where x and z are integers.

As an example, to represent the number 7/2, we would have $s = 0$, $m = 7/4$, and $E = 1$. Our number would therefore have an exponent field of $0x40$ (decimal value $63 + 1 = 64$) and a significand field $0x0c$ (binary 11000000_2), giving a hex representation $400c$.

You need not fill in entries marked “—”.

Description	Hex	m	E	Value
-0	8000	0	0	—
Smallest value > 1	3F01	$15/32$	0	$15/64$
Largest Denormalized	00FF	$15/128$	-62	$\frac{1}{2^{62}} \cdot \frac{15}{128}$
$-\infty$	FF00	—	—	—
Number with hex representation 3AA0	—	$\frac{13}{8}$	-3	$15/64$

Handwritten notes and calculations:

$12^x = 2^y$
 $\frac{3}{2} = \frac{3}{2} = \frac{3}{2}$
 $\frac{1}{12} = \frac{1}{12}$
 $(2 \cdot 10^5) = 21 \cdot 10^6$
 2^0
 00000000
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 0000000011111111
 $E = e - 127$
 $E = -83$
 $\frac{1}{64}$
 $-\frac{1}{64}$
 $-\frac{1}{64}$

Vice

Problem 4. (15 points):

Assume we are running code on a 6-bit machine using two's complement arithmetic for signed integers. A "short" integer is encoded using 3 bits, and an int is, of course, encoded using 6 bits. Fill in the empty boxes in the table below. The following definitions are used in the table:

```
short sy = -3;
int y = sy;
int x = -17;
unsigned ux = x;
```

Note: You need not fill in entries marked with "-".

Expression	Decimal Representation	Binary Representation
Zero	0	00 0000
-	-6	11 1010
-	18	01 0010
ux	47	10 1111
y	-3	11 1101
x >> 1	-9	11 0111
TMax	31	01 1111
-TMin	TMin = -32	10 0000
TMin + TMin	0	00 0000

Handwritten calculations and binary representations:

- $32 - 17 = 15$
- $15 \times 2 = 30$
- $30 + 1 = 31$
- Binary representations:
 - 00 0110
 - 11 1001
 - 11 0110
 - 10 0000
 - 11 1111
 - 10 1111
 - 11 0111
 - 11 1101
- Arithmetic:
 - 000000
 - 100000
 - 000000
 - 100000
 - 111111
 - 100000
- Other:
 - 011
 - 100
 - 101
 - 11101

6

Problem 5. (6 points):

Which C function (fun7, fun8 or fun9) has the same effect as the assembly code shown? Write your answer in the blank space directly below.

fun8

```
int fun7(int a)
{
    return a * 30;
}
```

```
int fun8(int a)
{
    return a * 34;
}
```

```
int fun9(int a)
{
    return a + 18;
}
```

```
pushl %ebp
movl %esp, %ebp
movl 8(%ebp), %eax
slll $4, %eax
addl 8(%ebp), %eax
addl %eax, %eax
movl %ebp, %esp
popl %ebp
ret
```

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Problem 6. (12 points):

Match each of the assembler routines on the left with the equivalent C function on the right.

<pre> foo1: pushl %ebp movl %ebp, %esp movl 8(%ebp), %eax movl 12(%ebp), %edx ret </pre>	<pre> int choice1(int x) { return (x < 0); } </pre>
<pre> foo2: pushl %ebp movl %esp, %ebp movl 8(%ebp), %eax sall \$4, %eax subl 8(%ebp), %eax movl %ebp, %esp popl %ebp ret </pre>	<pre> int choice2(int x) { return (x << 31) & 1; } int choice3(int x) { return 15 * x; } int choice4(int x) { return (x + 15) / 4; } int choice5(int x) { return x / 16; } </pre>
<pre> foo3: pushl %ebp movl %esp, %ebp movl 8(%ebp), %eax shrl \$31, %eax movl %ebp, %esp popl %ebp ret </pre>	<pre> int choice6(int x) { return (x >> 31); } </pre>

Fill in your answers here:

foo1 corresponds to choice 3

foo2 corresponds to choice 5

foo3 corresponds to choice 1

4
4
0 44

10
Problem 7. (10 points):

Consider the following assembly code for a C for loop:

```
loop:
    pushl %ebp
    movl %esp, %ebp
    movl 8(%ebp), %ecx      x
    movl 12(%ebp), %edx    y
    xorl %eax, %eax
    cmpl %edx, %ecx       x < y
    jle .L4
.L6:
    decl %ecx             x--
    incl %edx             y++
    incl %eax             result++
    cmpl %edx, %ecx       x > y
    jg .L4
.L4:
    incl %eax             ++result
    movl %ebp, %esp
    popl %ebp
    ret
```

Based on the assembly code above, fill in the blanks below in its corresponding C source code. (Note: you may only use the symbolic variables *x*, *y*, and *result* in your expressions below — do not use register names.)

```
int loop(int x, int y)
{
    int result;
    for ( result = 0 ; x > y ; result++ ) {
        x-- ;
        y++ ;
        result++ ;
    }
    return result;
}
```


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Problem 8. (6 points):

Consider the following C functions and assembly code:

```
int fun1(int a, int b)
{
    if (a < b)
        return a;
    else
        return b;
}
```

```
int fun2(int a, int b)
{
    if (b < a)
        return b;
    else
        return a;
}
```

```
int fun3(int a, int b)
{
    unsigned ua = (unsigned) a;
    if (ua < b)
        return b;
    else
        return ua;
}
```

```
pushl %ebp
movl 8(%ebp), %edx
movl 12(%ebp), %eax
cmpl %eax, %edx
jge .L9
movl %edx, %eax
.L9:
movl %ebp, %esp
popl %ebp
ret
```

Which of the functions (fun1, fun2, or fun3) compiled into the assembly code shown? Write your answer in the blank space below.

fun 1

This next problem will test your understanding of stack frames. It is based on the following recursive C function:

```

int silly(int n, int *p)
{
    int val, val2;

    if (n > 0)
        val2 = silly(n << 1, &val);
    else
        val = val2 = 0;

    *p = val + val2 + n;

    return val + val2;
}

```

This yields the following machine code:

```

silly:
    pushl %ebp
    movl %esp, %ebp
    subl $20, %esp
    pushl %eax
    movl 8(%ebp), %ebx
    testl %ebx, %ebx
    jle .L3
    addl $-8, %esp
    leal -4(%ebp), %eax
    pushl %eax
    leal (%ebx, %ebx), %eax
    pushl %eax
    call silly
    jmp .L4
    .p2align 4,,7
.L3:
    xorl %eax, %eax
    movl %eax, -4(%ebp)
.L4:
    movl -4(%ebp), %edx
    addl %eax, %edx
    movl 12(%ebp), %eax
    addl %edx, %eax
    movl %eax, (%eax)
    movl -24(%ebp), %ebx
    movl %edx, %eax
    movl %ebp, %esp
    popl %ebp
    ret

```

Handwritten annotations:

- 3: *adjust 5 bytes*
- 16: *save ebx (caller save)*
- 18: *save ebx*
- 20: *allocate 2 8-byte bytes*
- 22: *save address of val2 at -4ebp in eax*
- 24: *save ebx (caller save)*
- 26: *save ebx (caller save)*
- 30: *eax = ebx*
- 32: *eax = val2*
- 34: *eax = val2*
- 36: *eax = val2*
- 38: *eax = val2*
- 40: *eax = val2*
- 42: *eax = val2*
- 44: *eax = val2*
- 46: *eax = val2*
- 48: *eax = val2*
- 50: *eax = val2*
- 52: *eax = val2*
- 54: *eax = val2*
- 56: *eax = val2*
- 58: *eax = val2*
- 60: *eax = val2*
- 62: *eax = val2*
- 64: *eax = val2*
- 66: *eax = val2*
- 68: *eax = val2*
- 70: *eax = val2*
- 72: *eax = val2*
- 74: *eax = val2*
- 76: *eax = val2*
- 78: *eax = val2*
- 80: *eax = val2*
- 82: *eax = val2*
- 84: *eax = val2*
- 86: *eax = val2*
- 88: *eax = val2*
- 90: *eax = val2*
- 92: *eax = val2*
- 94: *eax = val2*
- 96: *eax = val2*
- 98: *eax = val2*
- 100: *eax = val2*
- 102: *eax = val2*
- 104: *eax = val2*
- 106: *eax = val2*
- 108: *eax = val2*
- 110: *eax = val2*
- 112: *eax = val2*
- 114: *eax = val2*
- 116: *eax = val2*
- 118: *eax = val2*
- 120: *eax = val2*
- 122: *eax = val2*
- 124: *eax = val2*
- 126: *eax = val2*
- 128: *eax = val2*
- 130: *eax = val2*
- 132: *eax = val2*
- 134: *eax = val2*
- 136: *eax = val2*
- 138: *eax = val2*
- 140: *eax = val2*
- 142: *eax = val2*
- 144: *eax = val2*
- 146: *eax = val2*
- 148: *eax = val2*
- 150: *eax = val2*
- 152: *eax = val2*
- 154: *eax = val2*
- 156: *eax = val2*
- 158: *eax = val2*
- 160: *eax = val2*
- 162: *eax = val2*
- 164: *eax = val2*
- 166: *eax = val2*
- 168: *eax = val2*
- 170: *eax = val2*
- 172: *eax = val2*
- 174: *eax = val2*
- 176: *eax = val2*
- 178: *eax = val2*
- 180: *eax = val2*
- 182: *eax = val2*
- 184: *eax = val2*
- 186: *eax = val2*
- 188: *eax = val2*
- 190: *eax = val2*
- 192: *eax = val2*
- 194: *eax = val2*
- 196: *eax = val2*
- 198: *eax = val2*
- 200: *eax = val2*

8/15

Problem 9. (10 points):

A. Is the variable `val` stored on the stack? If so, at what byte offset (relative to `%ebp`) is it stored, and why is it necessary to store it on the stack?

val isn't stored on the stack since its value is passed by reference after the func returns

B. Is the variable `val2` stored on the stack? If so, at what byte offset (relative to `%ebp`) is it stored, and why is it necessary to store it on the stack?

Stored at $-4(\%ebp)$ since it is callee save register & it can't be saved in registers

C. What (if anything) is stored at $-24(\%ebp)$? If something is stored there, why is it necessary to store it?

We return the value of `n` stored at the beginning of the code by the callee save routine back into `eax`

D. If the assembly code above was assembled and then disassembled, what would the label 'silly' be replaced by in the disassembled code for the call instruction?

It will be replaced with the address of the function `silly`

E. What is implicitly retrieved from the stack by the `ret` instruction, and where is this information stored?

Implicitly we return the value stored in `val` through the pointer `*p`

0x00000000	0x00000000
0x00000004	0x00000000
0x00000008	0x00000000
0x0000000C	0x00000000
0x00000010	0x00000000
0x00000014	0x00000000
0x00000018	0x00000000
0x0000001C	0x00000000
0x00000020	0x00000000
0x00000024	0x00000000
0x00000028	0x00000000
0x0000002C	0x00000000
0x00000030	0x00000000
0x00000034	0x00000000
0x00000038	0x00000000
0x0000003C	0x00000000
0x00000040	0x00000000
0x00000044	0x00000000
0x00000048	0x00000000
0x0000004C	0x00000000
0x00000050	0x00000000
0x00000054	0x00000000
0x00000058	0x00000000
0x0000005C	0x00000000
0x00000060	0x00000000
0x00000064	0x00000000
0x00000068	0x00000000
0x0000006C	0x00000000
0x00000070	0x00000000
0x00000074	0x00000000
0x00000078	0x00000000
0x0000007C	0x00000000
0x00000080	0x00000000
0x00000084	0x00000000
0x00000088	0x00000000
0x0000008C	0x00000000
0x00000090	0x00000000
0x00000094	0x00000000
0x00000098	0x00000000
0x0000009C	0x00000000
0x000000A0	0x00000000
0x000000A4	0x00000000
0x000000A8	0x00000000
0x000000AC	0x00000000
0x000000B0	0x00000000
0x000000B4	0x00000000
0x000000B8	0x00000000
0x000000BC	0x00000000
0x000000C0	0x00000000
0x000000C4	0x00000000
0x000000C8	0x00000000
0x000000CC	0x00000000
0x000000D0	0x00000000
0x000000D4	0x00000000
0x000000D8	0x00000000
0x000000DC	0x00000000
0x000000E0	0x00000000
0x000000E4	0x00000000
0x000000E8	0x00000000
0x000000EC	0x00000000
0x000000F0	0x00000000
0x000000F4	0x00000000
0x000000F8	0x00000000
0x000000FC	0x00000000
0x00000100	0x00000000